



# The effects of low-level shear on simulated supercells

George Bryan

National Center for Atmospheric Research, USA

Leigh Orf

Central Michigan University, USA

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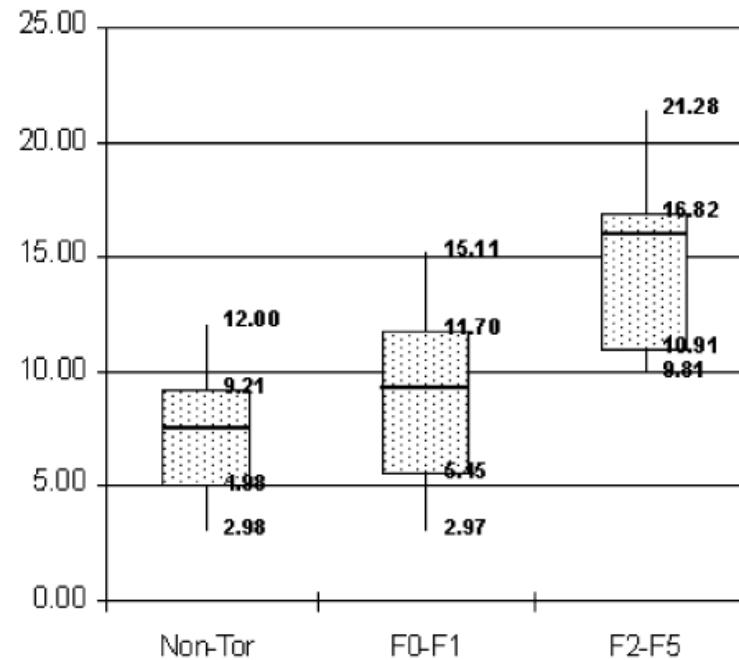
5 October 2011

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# Motivation

- Several observations-based studies have found a correlation between significant tornadoes and low-level vertical wind shear:

0-1 km wind-vector difference ( $\Delta u$ ) (m/s):



Doswell and Evans (2003, Atmos Res)

Hodograph shape in low levels: a “bend,” or “kink,” or “sickle shape,” or “L-shape” is often seen in low levels (200 – 1000 m AGL)

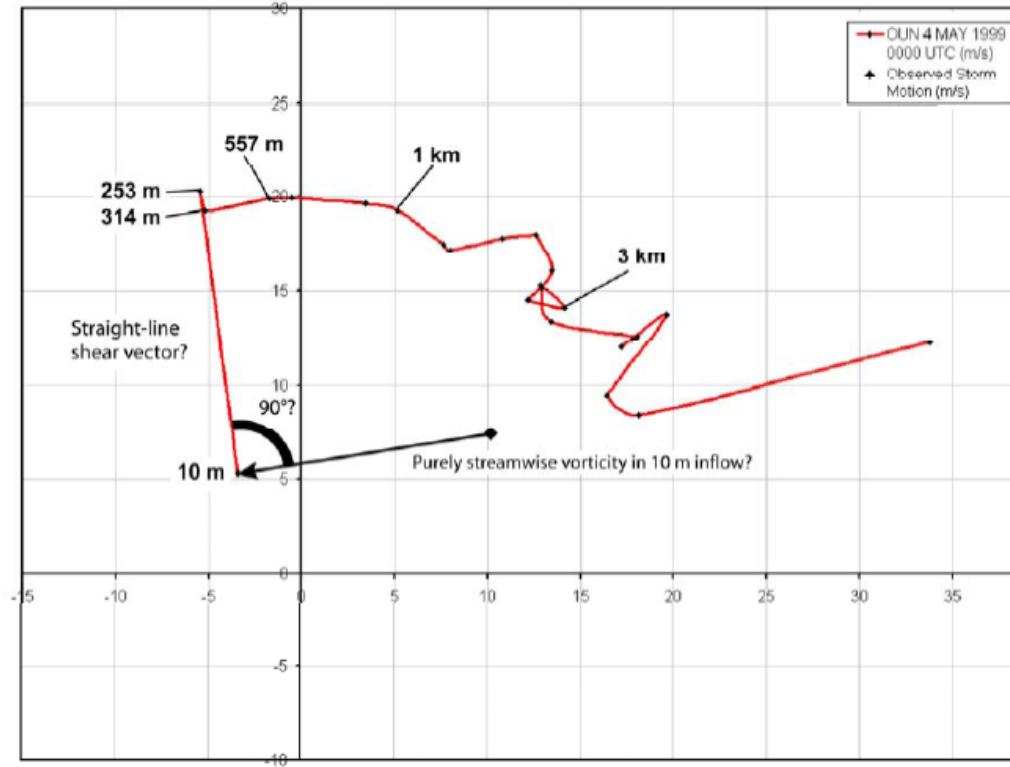


Figure 1: KOUN 0000 UTC 4 May 1999 hodograph. Axis units are in  $\text{m s}^{-1}$ .

Esterheld and Giuliano (2008, EJSSM)

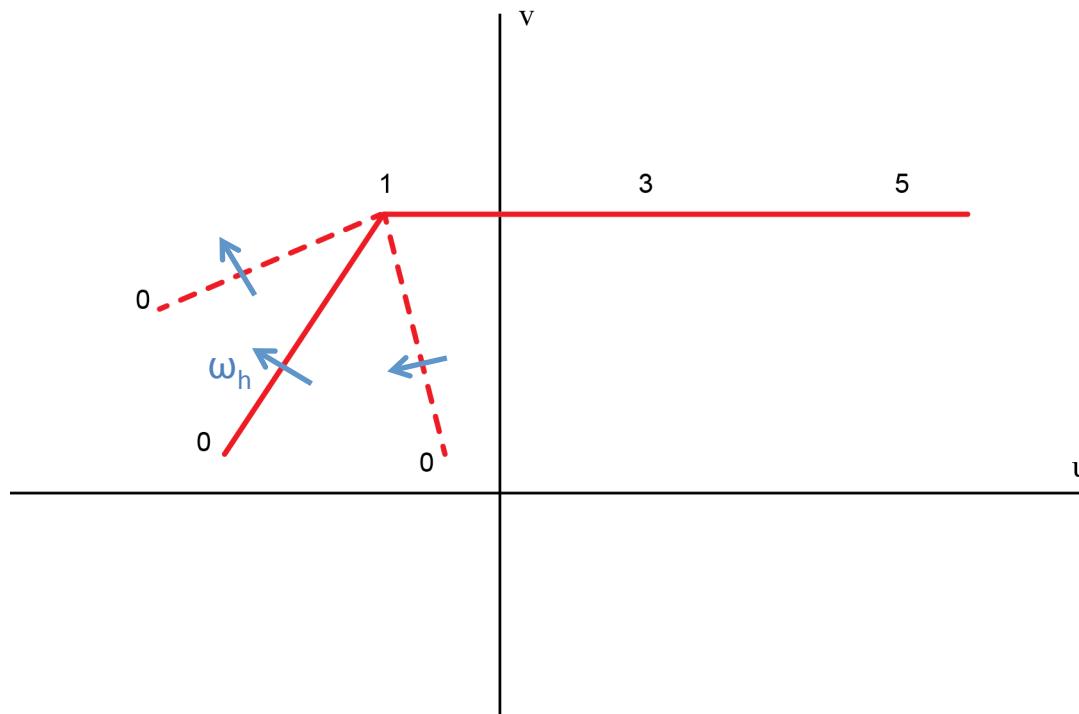
See also: Wicker (1996, SLS Conf., 3.3)

Miller (2006, SLS Conf., 3.1)

Kis and Straka (2010, SLS Conf., P6.9)

# Motivation

- Use idealized simulations to understand effects of low-level shear on supercells
- A simple hodograph:
  - Two straight-line segments ( $\omega_h = \text{constant}$ )
  - Specified angle between low-level and upper-level segments

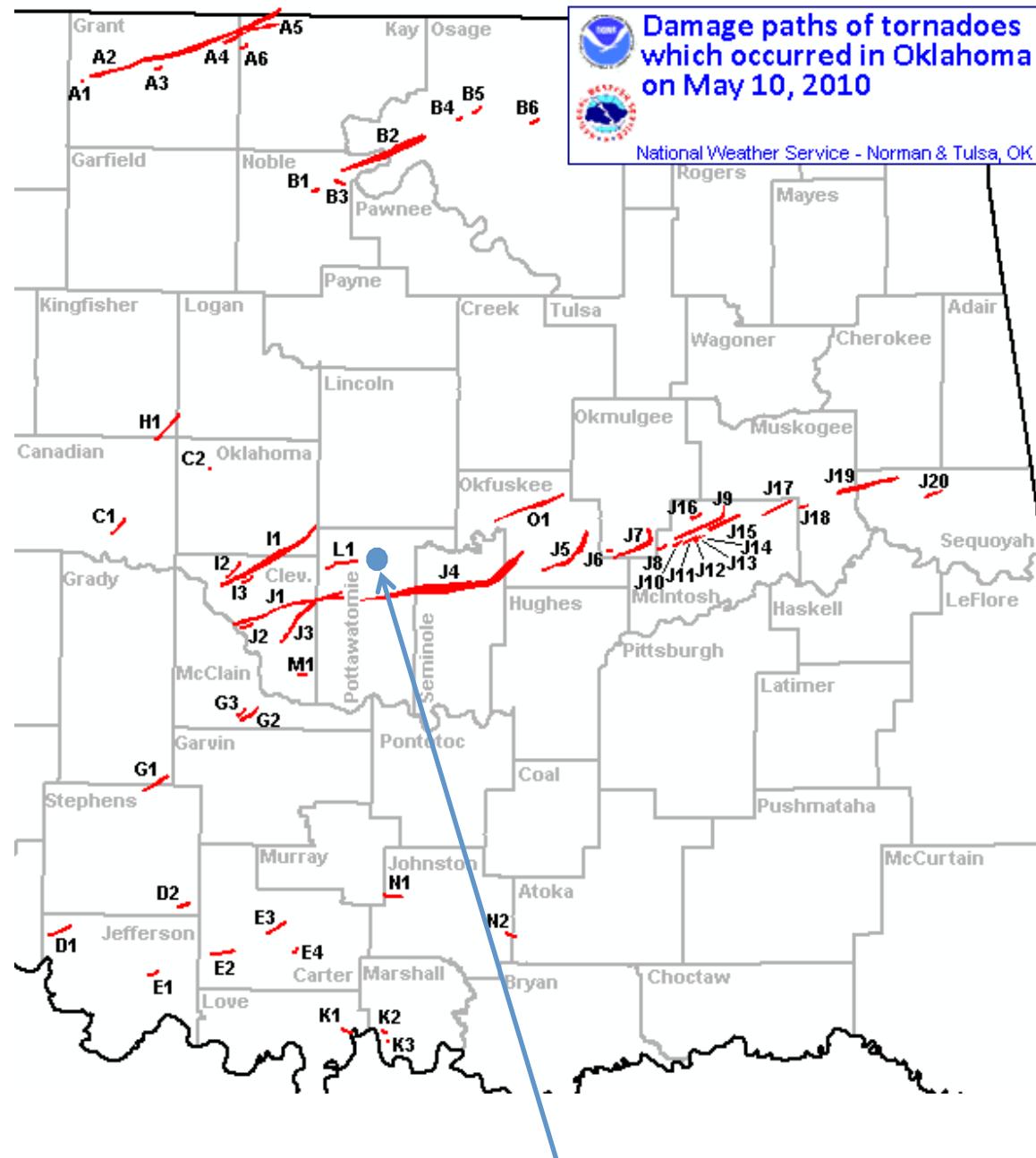


# Methodology

- Numerical model: CM1 (<http://www.mmm.ucar.edu/people/bryan/cm1>)
- $\Delta x, \Delta y = 500$  m
- $\Delta z$  varies from 20 m near surface to 500 m at  $z = 20$  km
- Standard idealized model configuration:
  - Horizontally homogeneous environment
  - Warm thermal initialization
- No surface fluxes, no surface drag, no radiation
  - (ensures the specified environment does not change)
- Morrison (2009) double-moment microphysics scheme
  - increased threshold in raindrop breakup parameterization
  - see Morrison and Milbrandt (April 2011, MWR)
  - yields larger raindrops, less evaporation
  - estimated reflectivity obtained by integration of drop size distributions, assuming 10-cm wavelength radar (Bryan and Morrison, 2011, MWR in press)

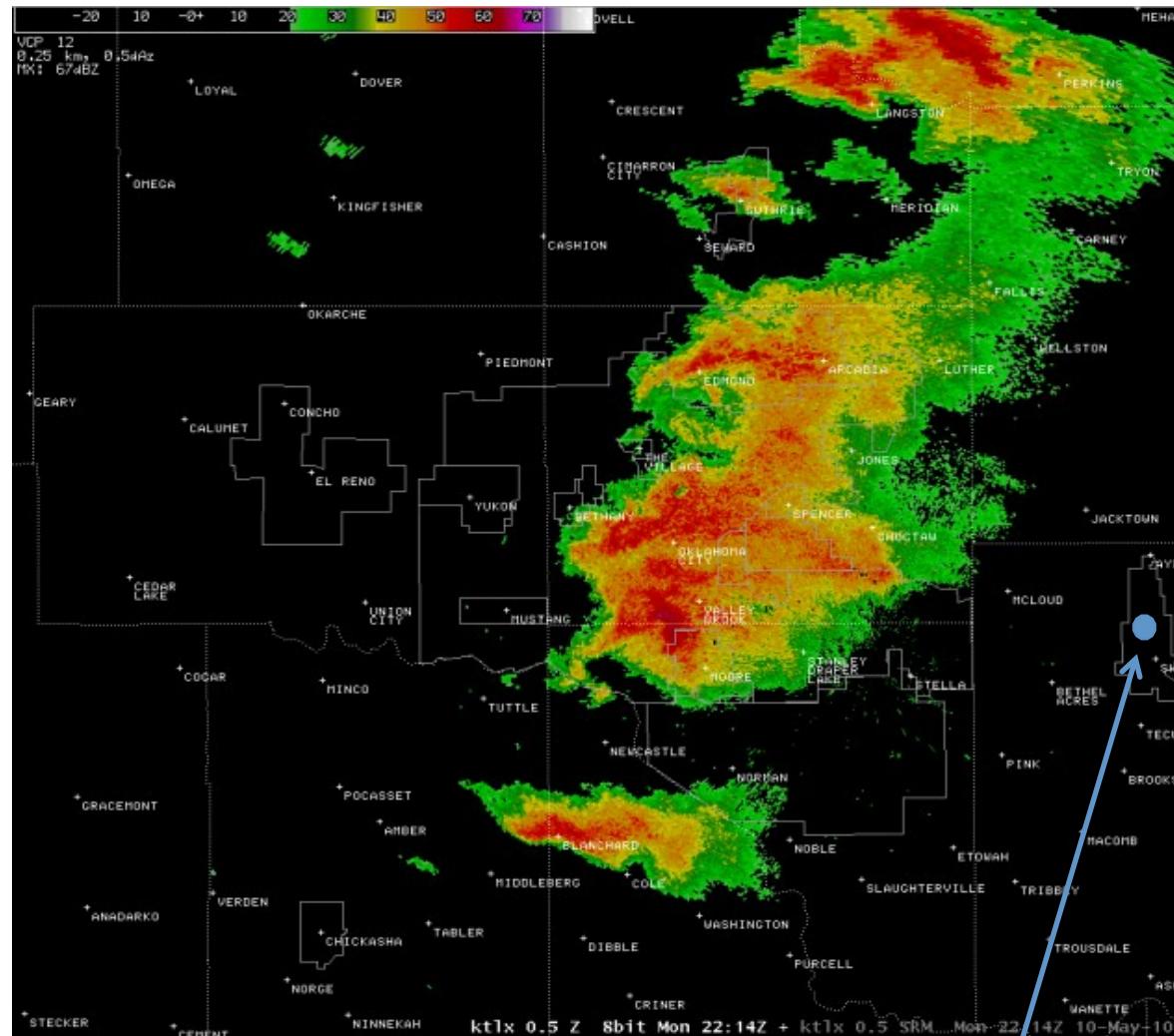
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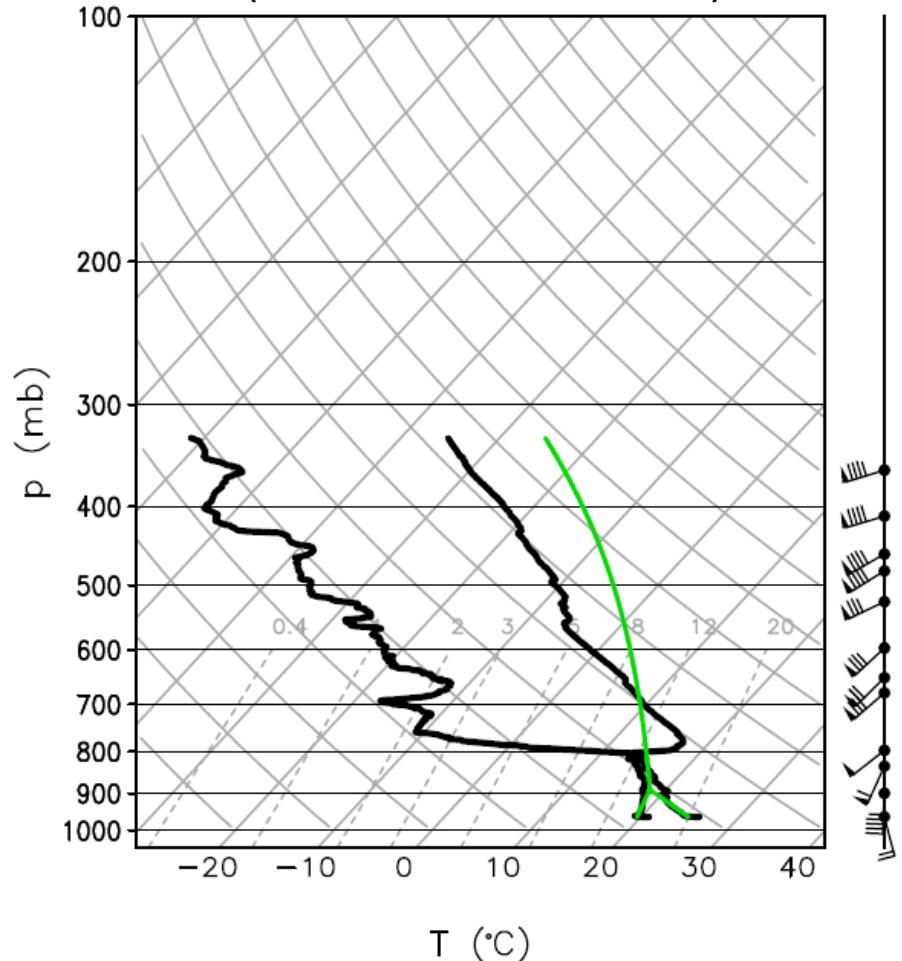
Hourly soundings from Shawnee before storms arrived

Radar image 15 minutes after last sounding launch from Shawnee, OK  
(45 minutes before tornado)



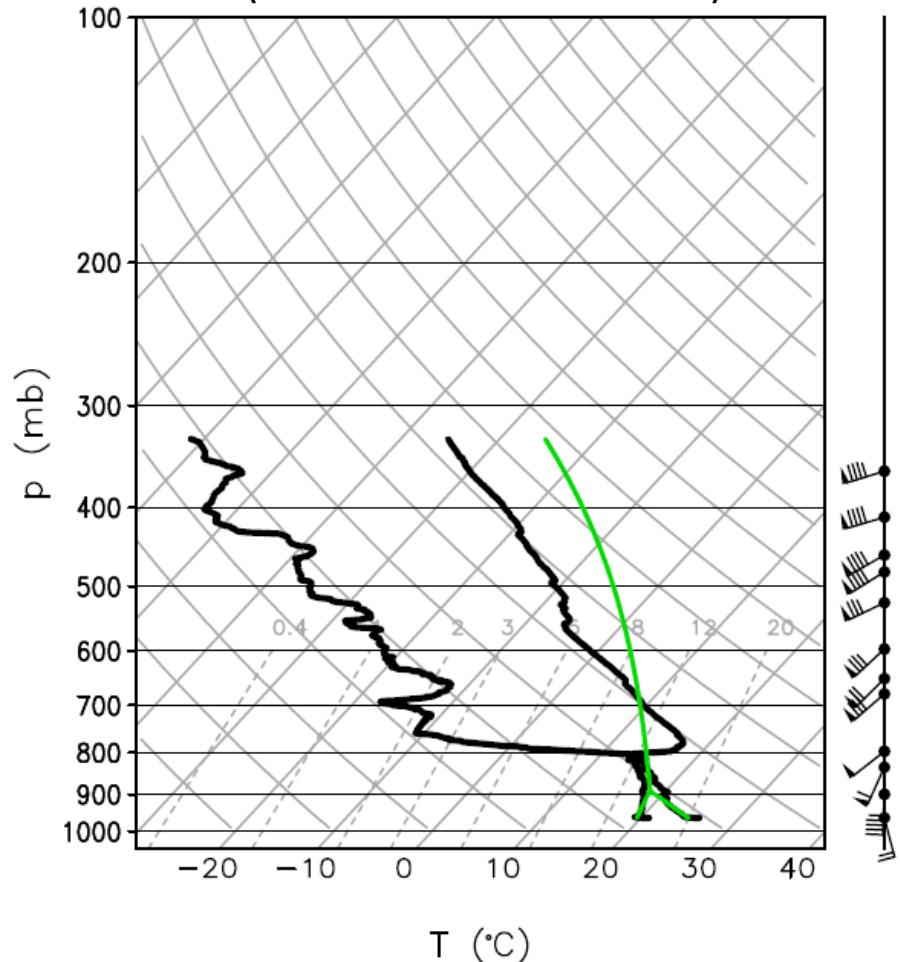
sounding site

Shawnee, OK: 2100 UTC  
(2 hours before tornado)



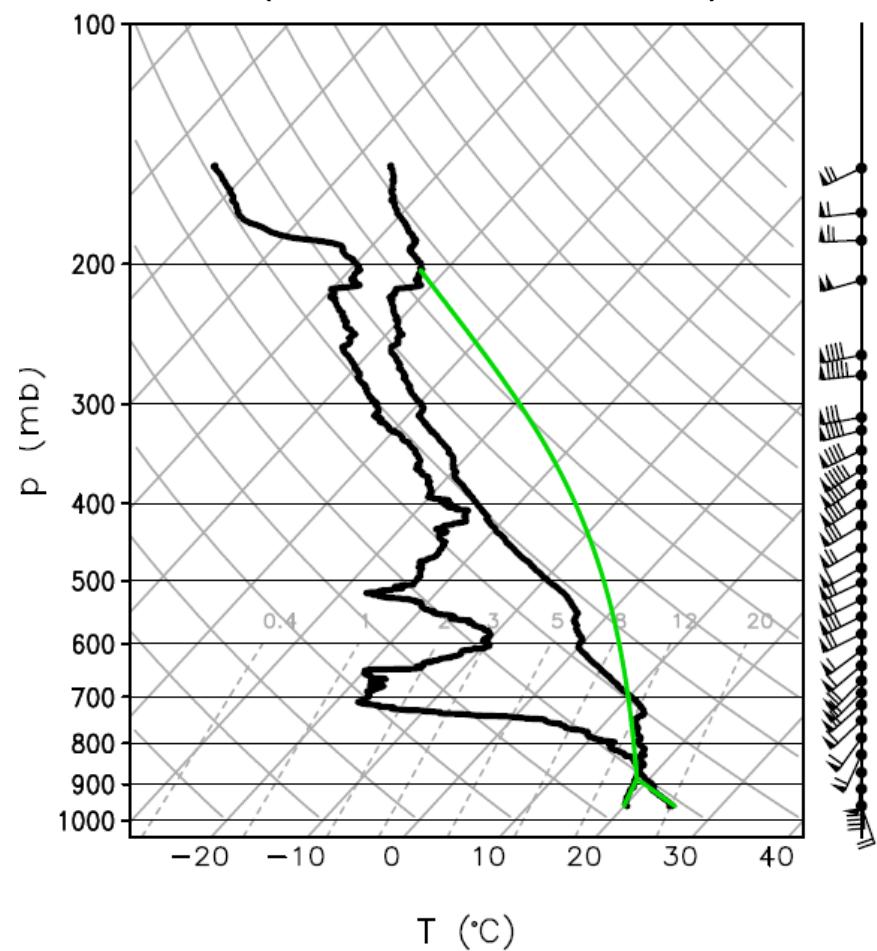
CIN:  $60 \text{ J kg}^{-1}$

Shawnee, OK: 2100 UTC  
(2 hours before tornado)



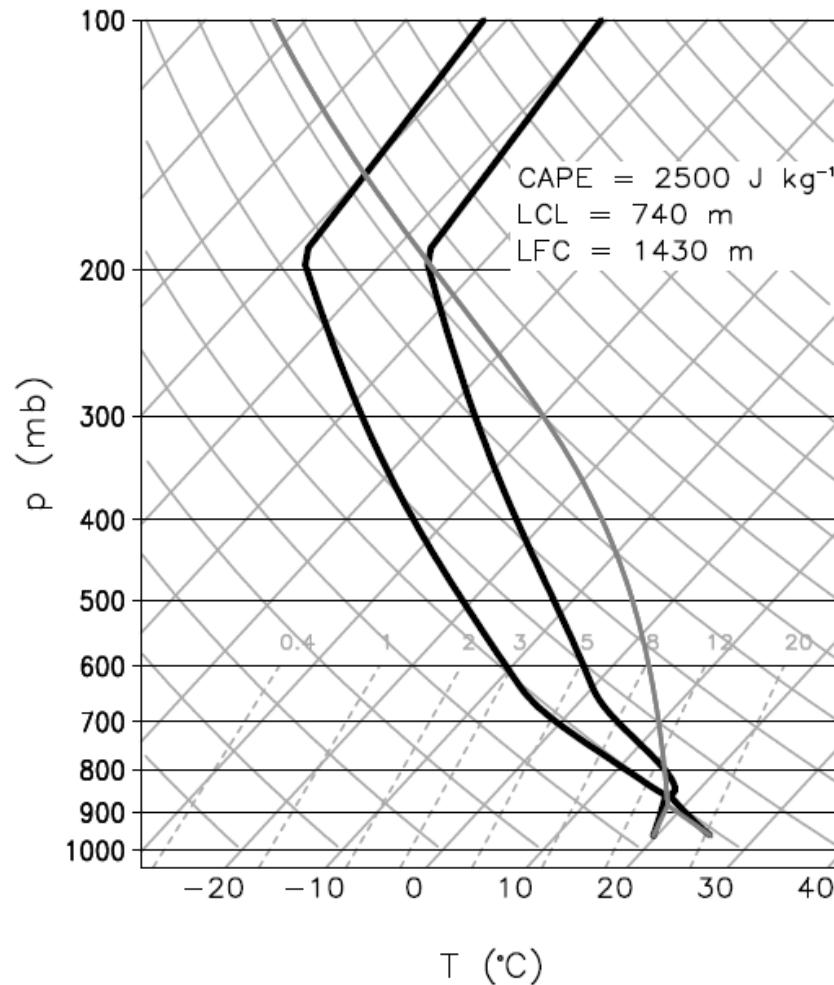
CIN:  $60 \text{ J kg}^{-1}$

Shawnee, OK: 2200 UTC  
(1 hour before tornado)

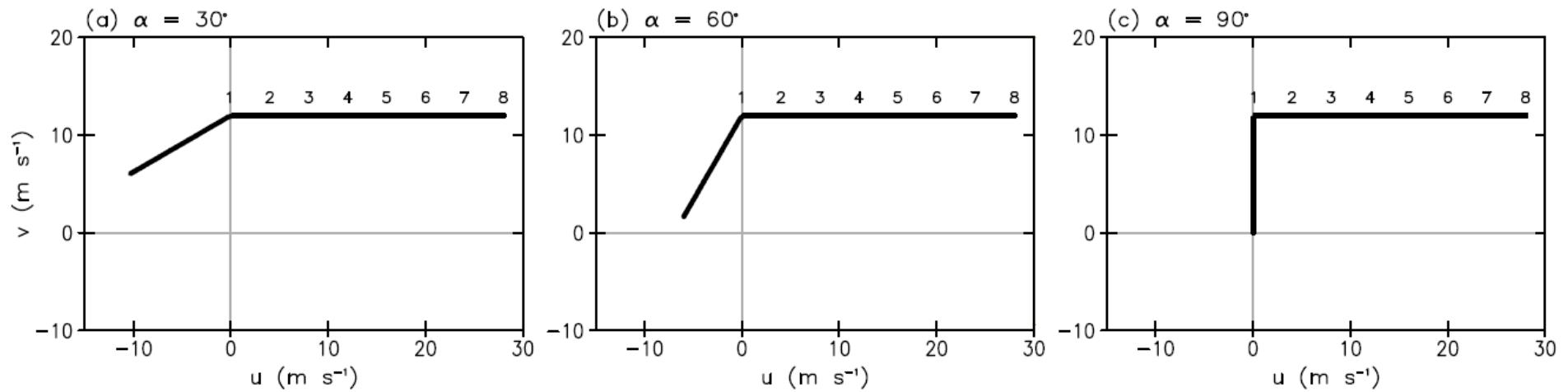


CIN:  $3 \text{ J kg}^{-1}$

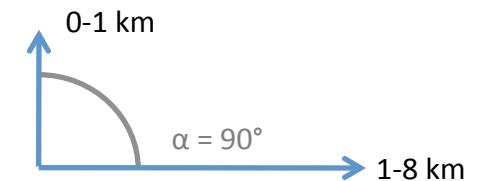
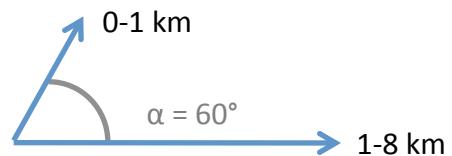
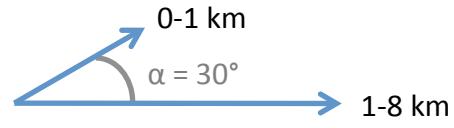
Initial conditions for idealized model simulations:



# Initial Wind Profiles:

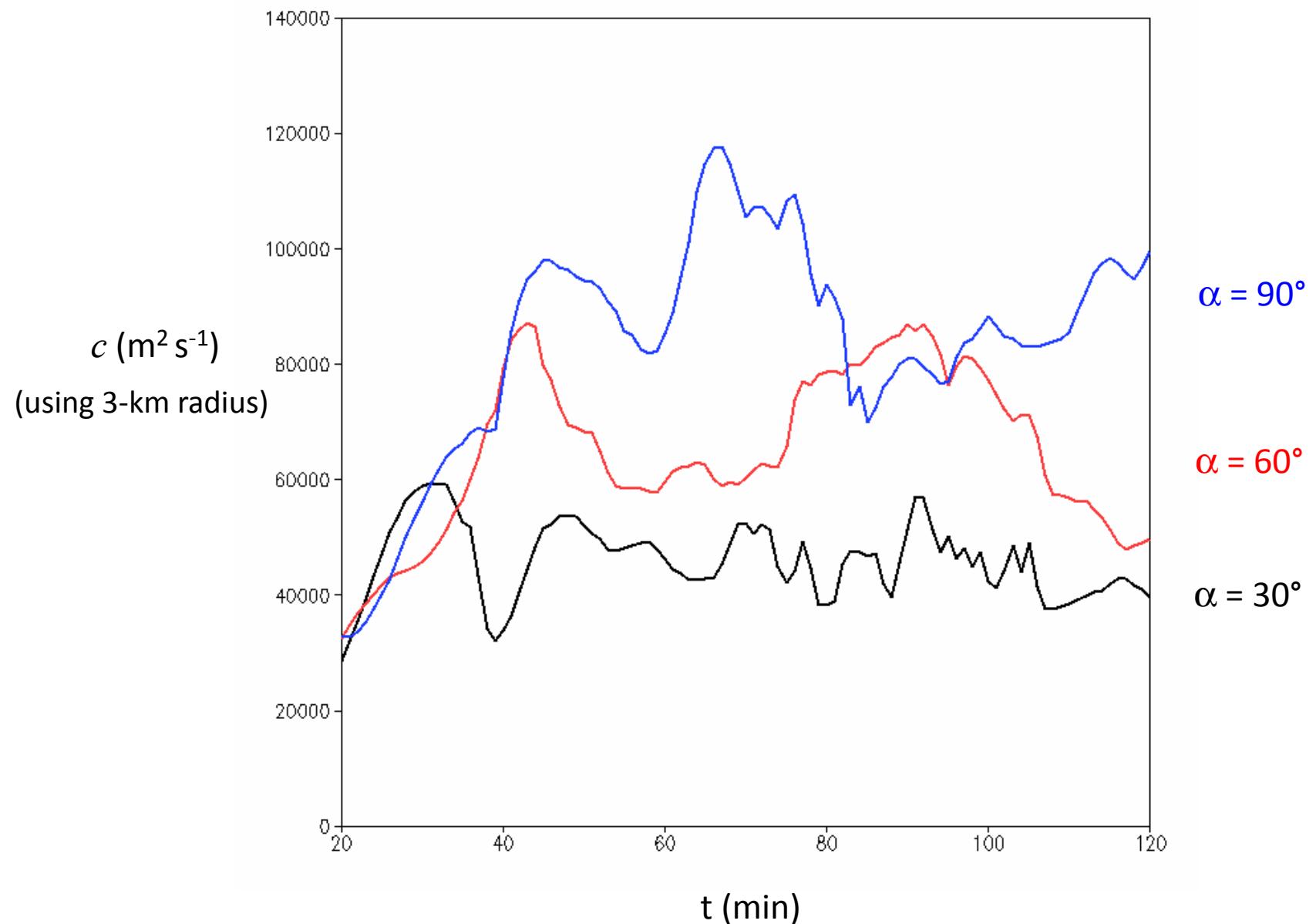


$\alpha$  is the angle between 0-1 and 1-8 km shear vectors:

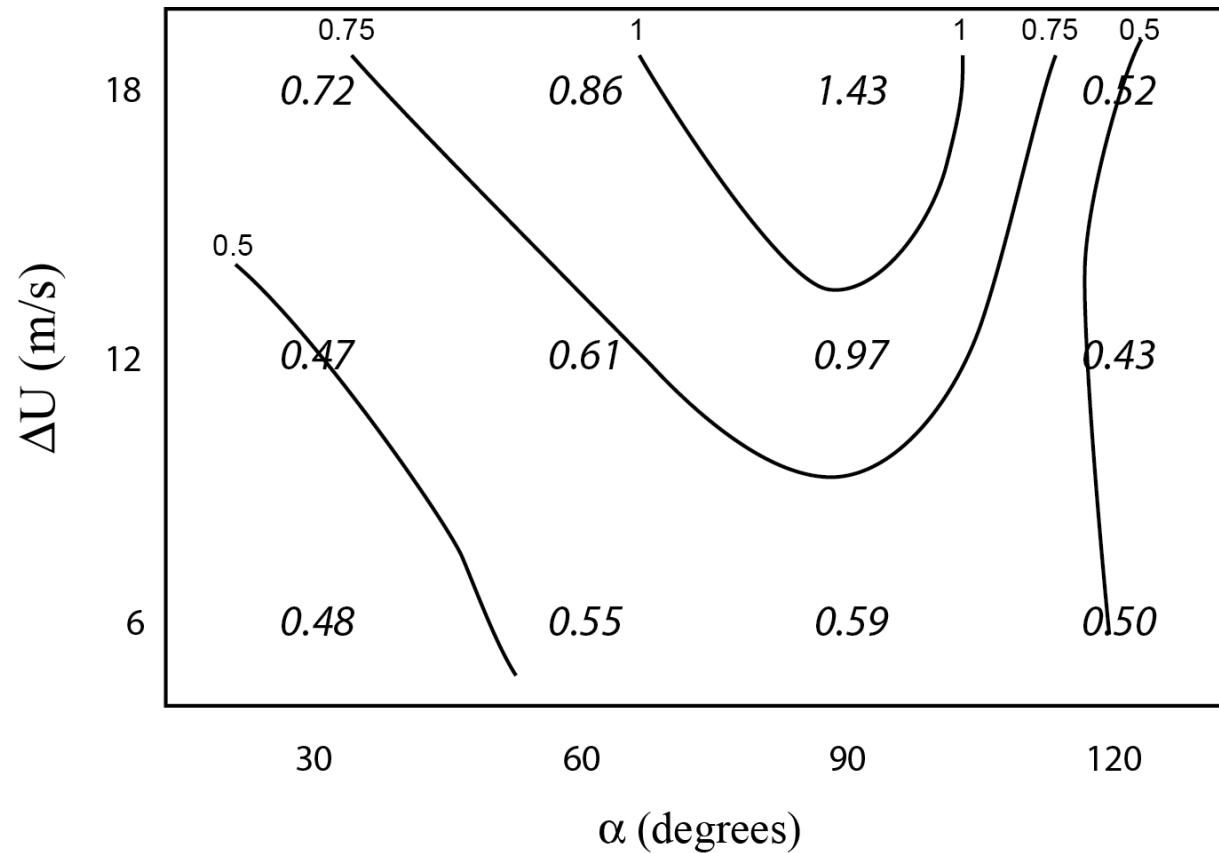


Maximum Circulation ( $c$ ) at 1 km AGL

$$c = \oint v \bullet dl$$



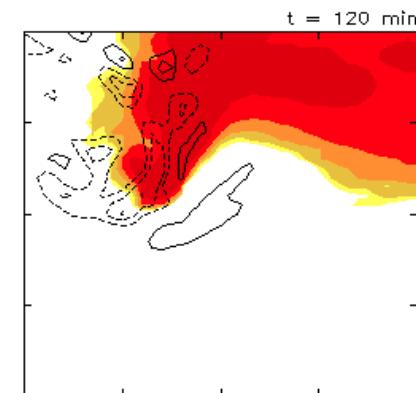
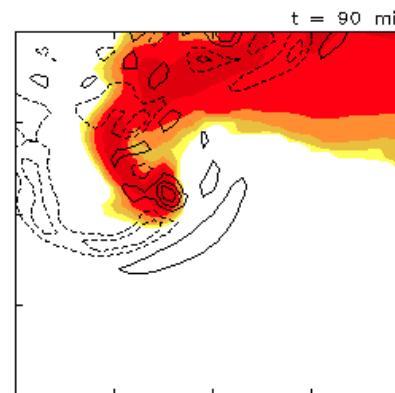
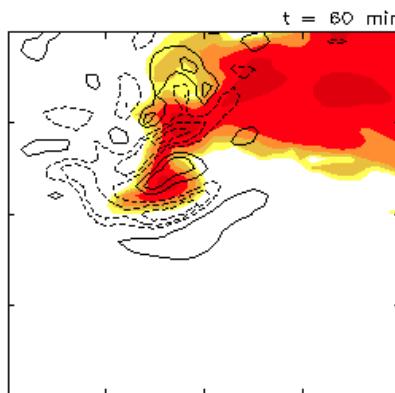
Maximum Circulation at  $z = 1$  km (60-90 min average)



shading = surface reflectivity

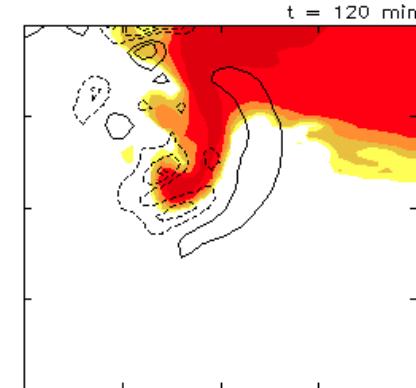
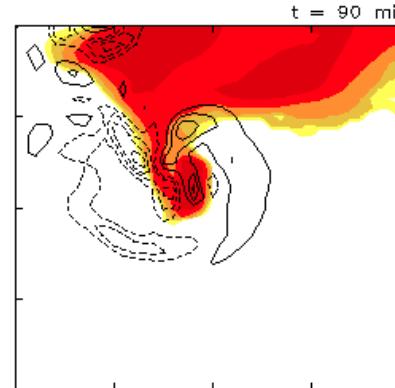
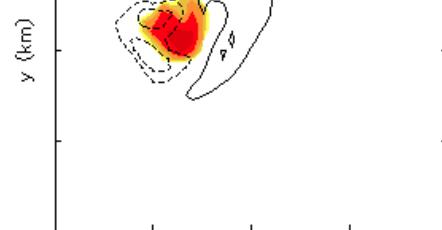
contours: vertical vorticity at 1 km AGL

$\alpha = 30^\circ$

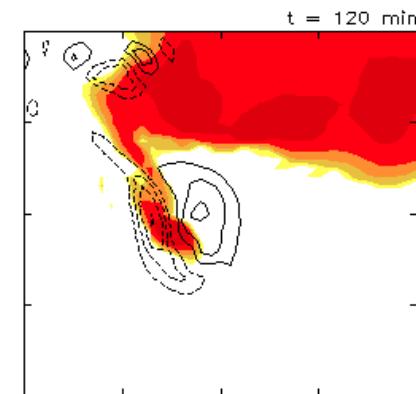
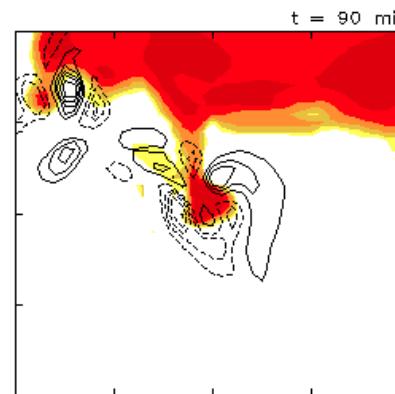
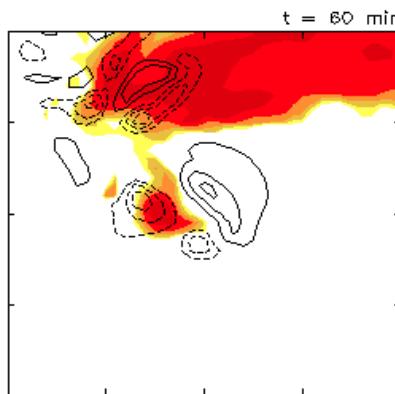


↑ 5 km

$\alpha = 60^\circ$



$\alpha = 90^\circ$



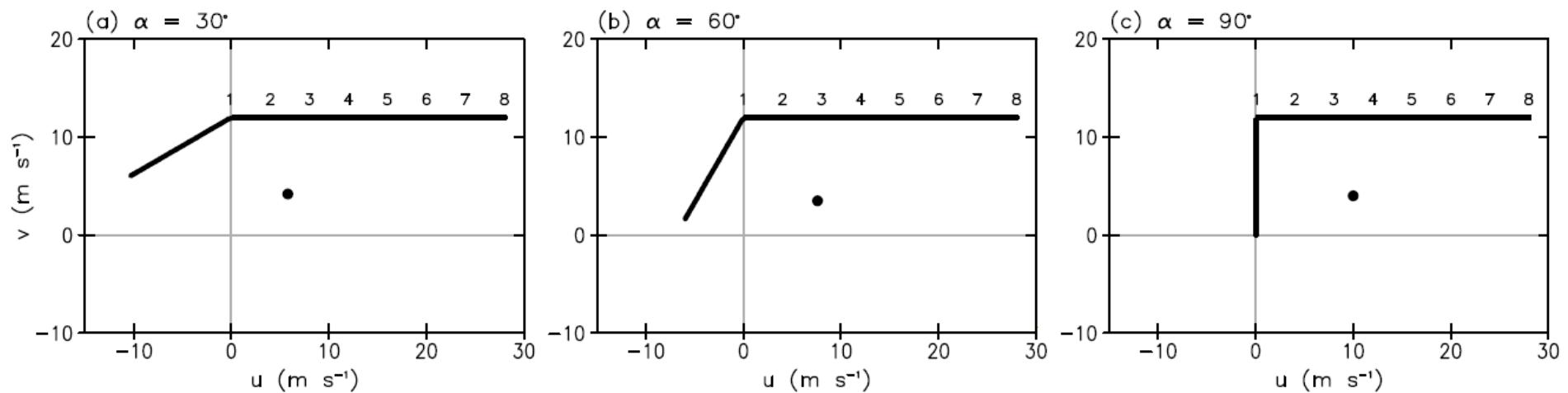
35 40 45 50 55

x (km)

↔  
5 km

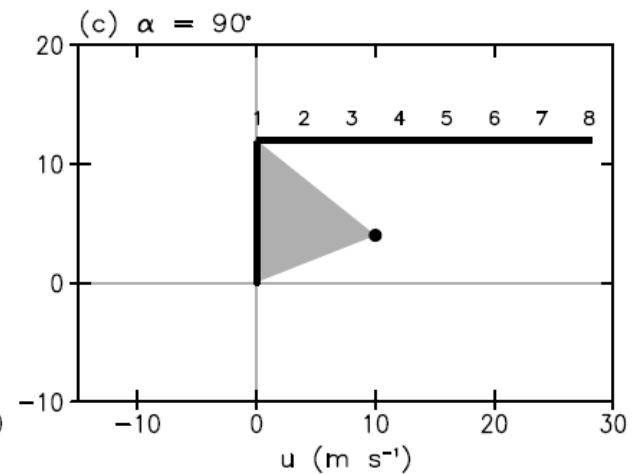
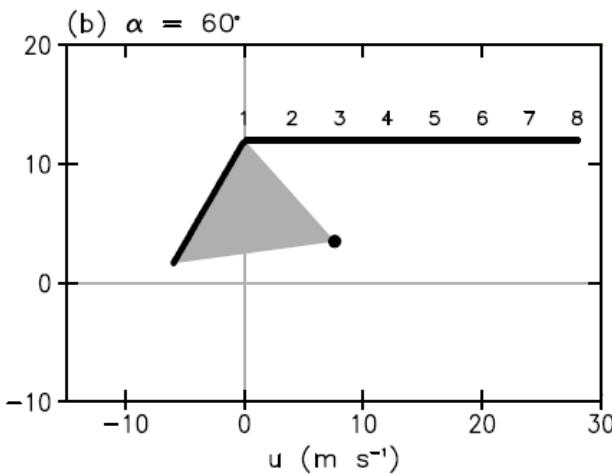
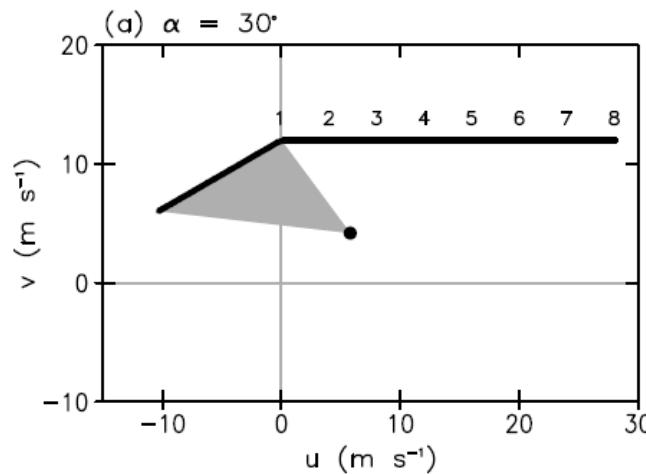
# Initial Wind Profiles:

Storm motion from model simulations:



# Initial Wind Profiles:

Using storm motion from model simulations:



$$0-1 \text{ km SRH} = 112 \text{ m}^2 \text{ s}^{-2}$$

$$0-6 \text{ km } \Delta U = 31 \text{ m s}^{-1}$$

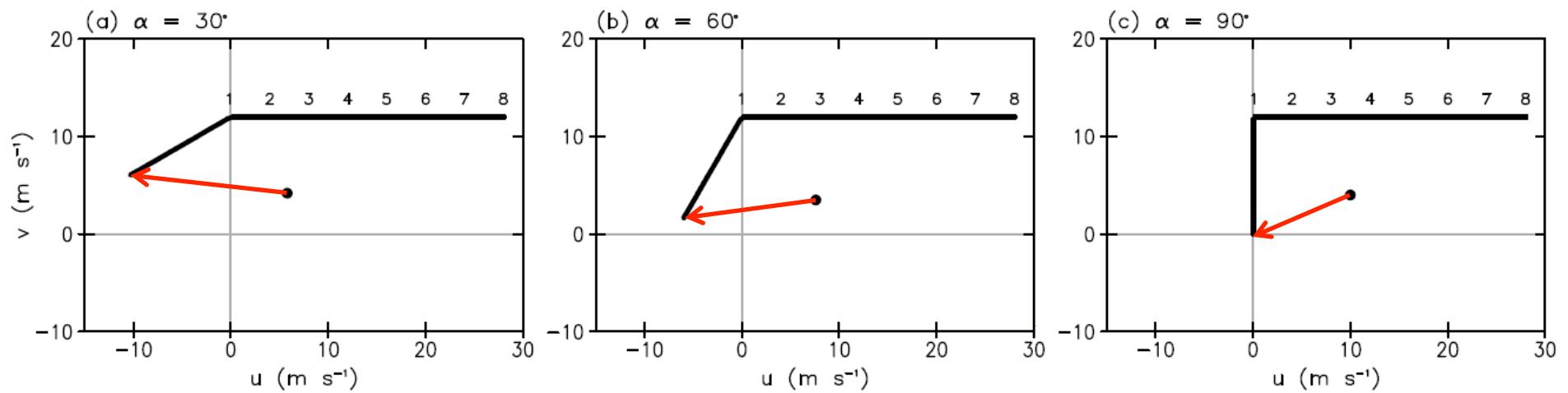
$$0-1 \text{ km SRH} = 126 \text{ m}^2 \text{ s}^{-2}$$

$$0-6 \text{ km } \Delta U = 28 \text{ m s}^{-1}$$

$$0-1 \text{ km SRH} = 116 \text{ m}^2 \text{ s}^{-2}$$

$$0-6 \text{ km } \Delta U = 24 \text{ m s}^{-1}$$

## Storm-relative winds near surface:



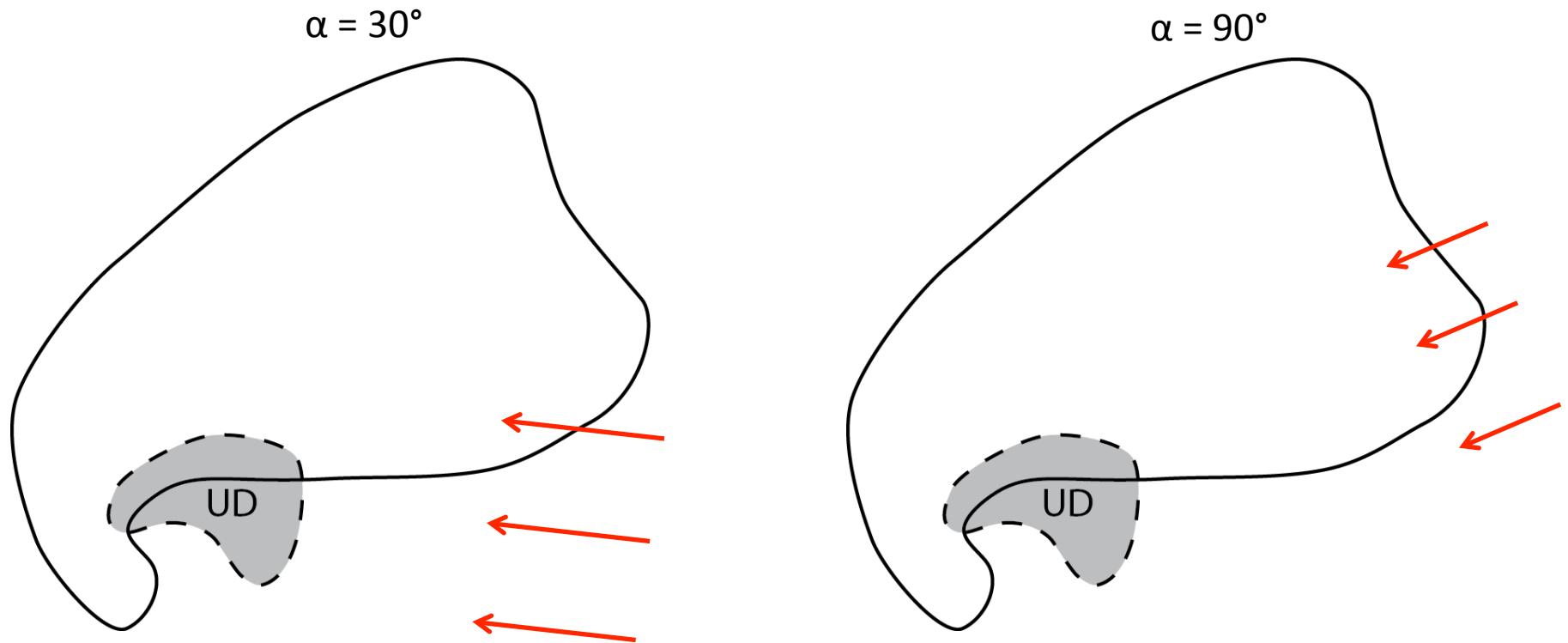
Magnitude of storm-relative winds at surface:

$16 \text{ m s}^{-1}$

$14 \text{ m s}^{-1}$

$11 \text{ m s}^{-1}$

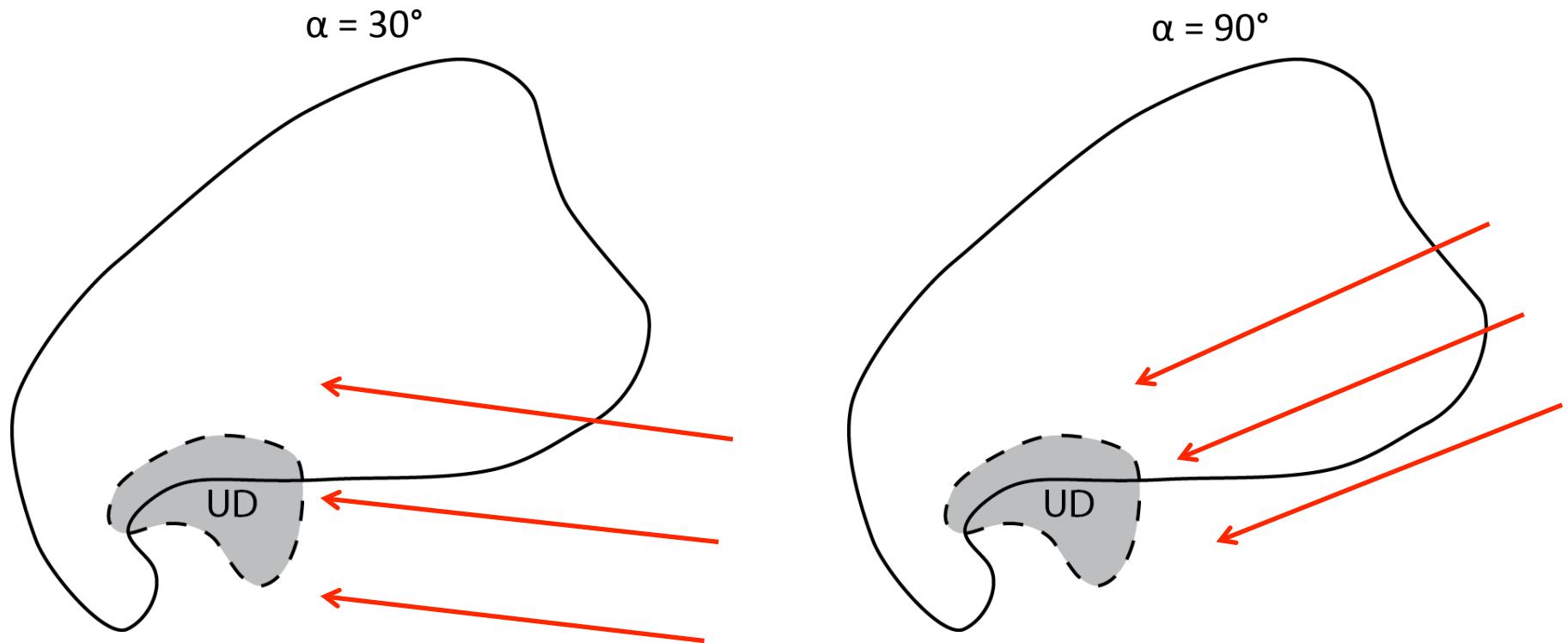
## Storm-relative winds near surface:



For the “L-shaped” hodograph:

--> Parcels have more residence time along forward flank

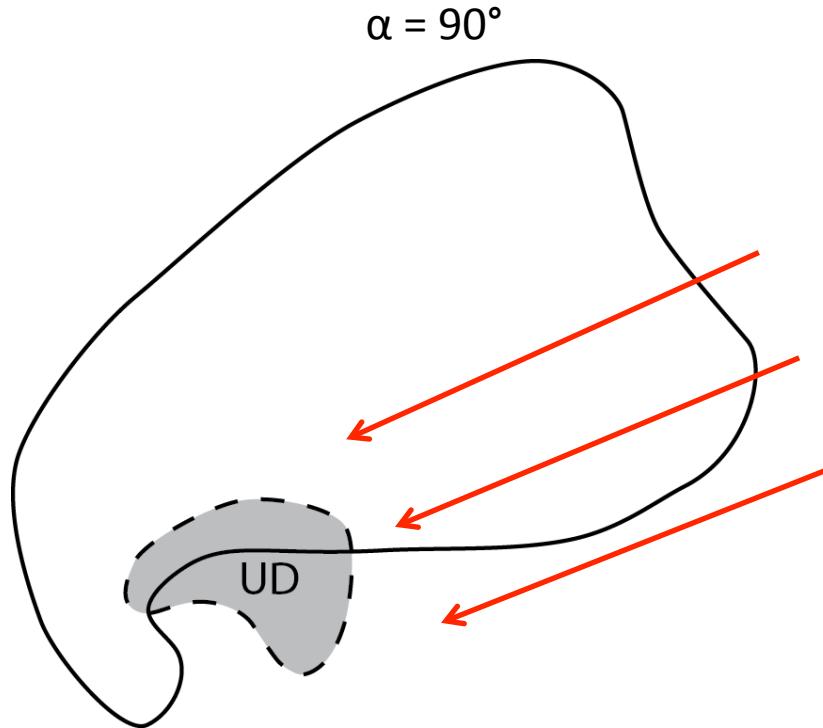
## Storm-relative winds near surface:



For the “L-shaped” hodograph:

- > Parcels have more residence time along forward flank
- > “traverse through more storm” (K. Kosiba, 4 October 2011)

## Storm-relative winds near surface:



From horizontal vorticity equation  
(Klemp and Rotunno 1983, JAS)

$$\Delta\omega_s \approx \frac{g}{\theta_0} \frac{\partial\theta}{\partial n} \frac{\Delta s}{v_s}$$

$$\partial\theta/\partial n \approx 1 \text{ K per } 5 \text{ km}$$

$$\Delta s \approx 20 \text{ km}$$

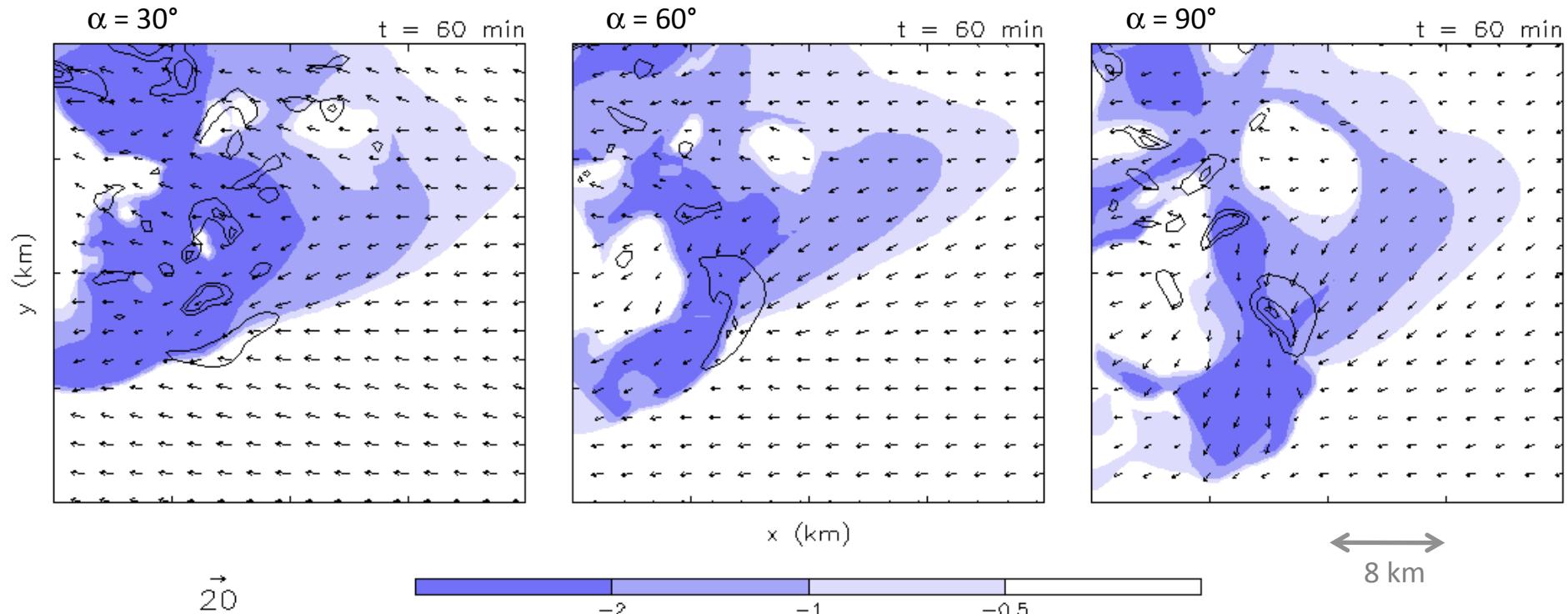
$$v_s = 10 \text{ m s}^{-1}$$

$$\rightarrow \Delta\omega_s \approx 0.015 \text{ s}^{-1}$$

Shading: potential temperature perturbation (K) at  $z = 10$  m

Vectors: storm-relative horizontal velocity at  $z = 10$  m

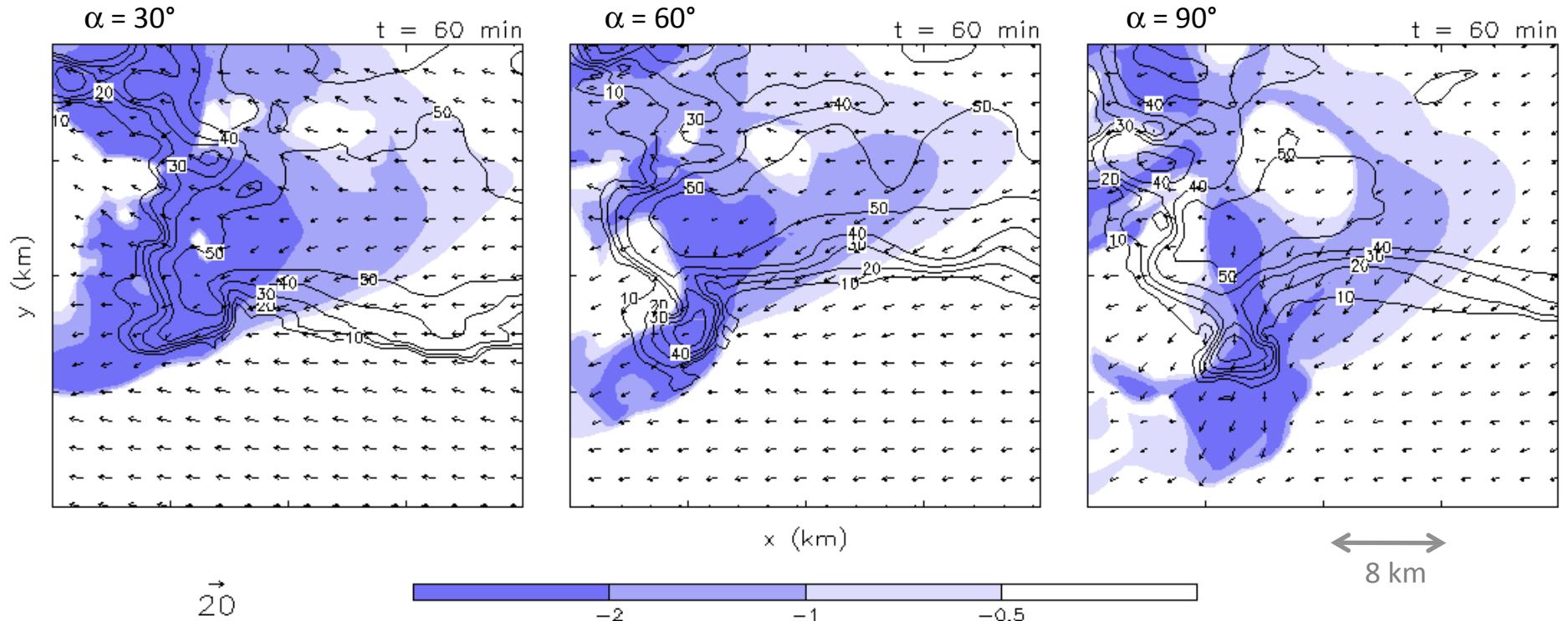
Contours: (positive) vertical vorticity (every  $0.005 \text{ s}^{-1}$ ) at 1 km AGL



Shading: potential temperature perturbation (K) at  $z = 10$  m

Vectors: storm-relative horizontal velocity at  $z = 10$  m

--> Contours: reflectivity (dBZ) at  $z = 10$  m

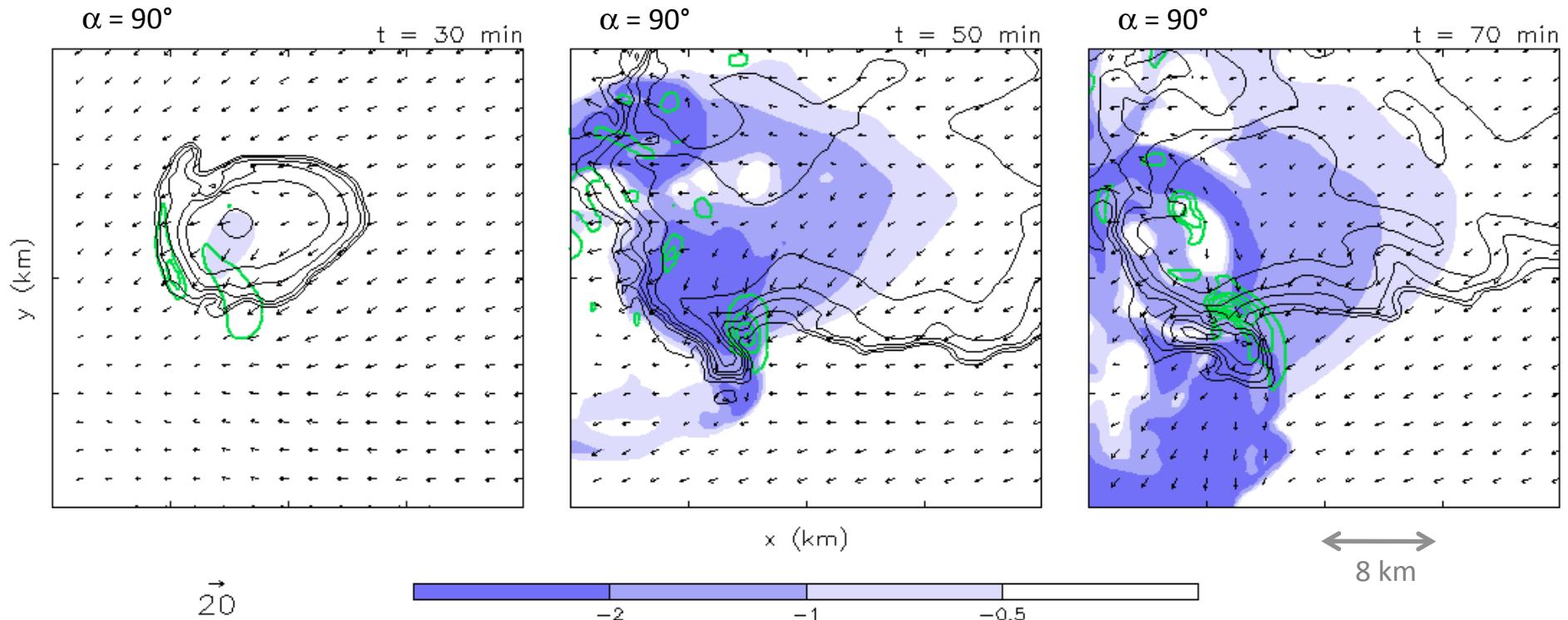


Shading: potential temperature perturbation (K) at  $z = 10$  m

Vectors: storm-relative horizontal velocity at  $z = 10$  m

Black Contours: reflectivity (dBZ) at  $z = 10$  m

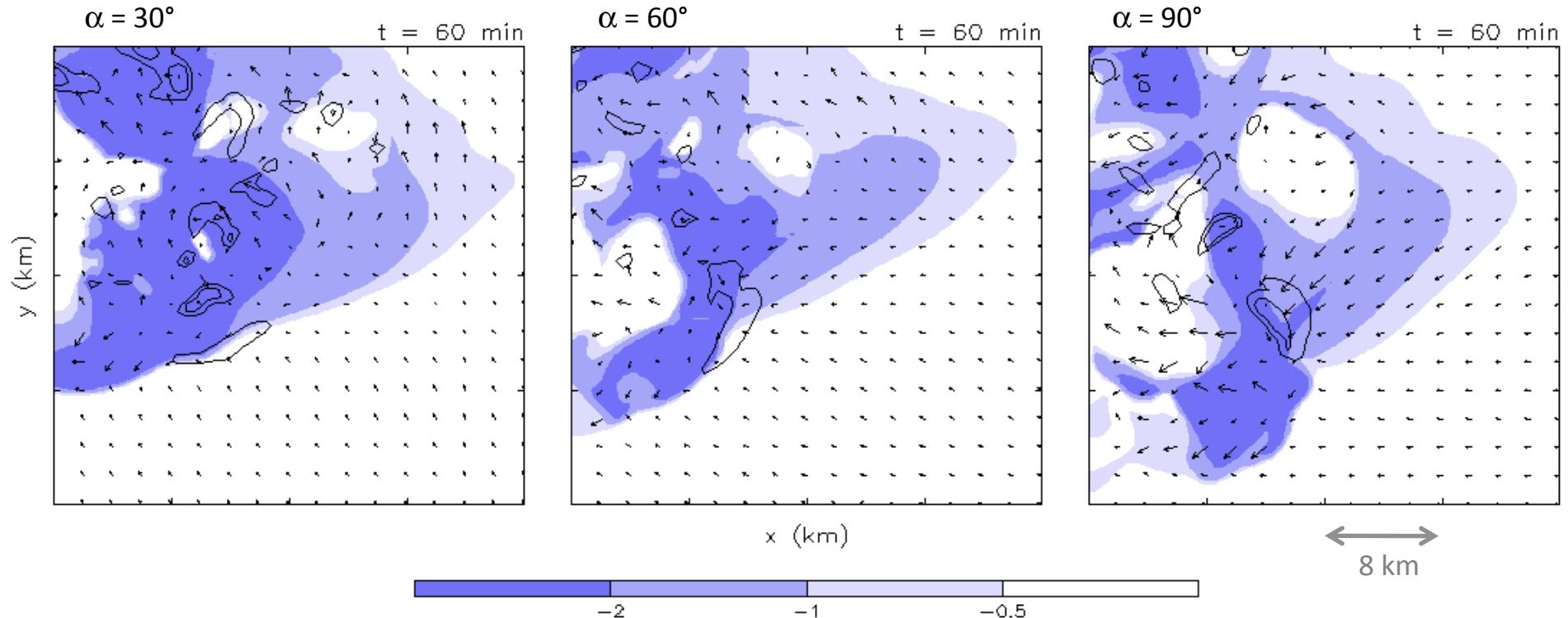
--> Green Contours: (positive) vertical vorticity (every  $0.005 \text{ s}^{-1}$ ) at  $z = 1 \text{ km}$



Shading: potential temperature perturbation (K) at  $z = 10$  m

--> Vectors: horizontal vorticity at  $z = 100$  m

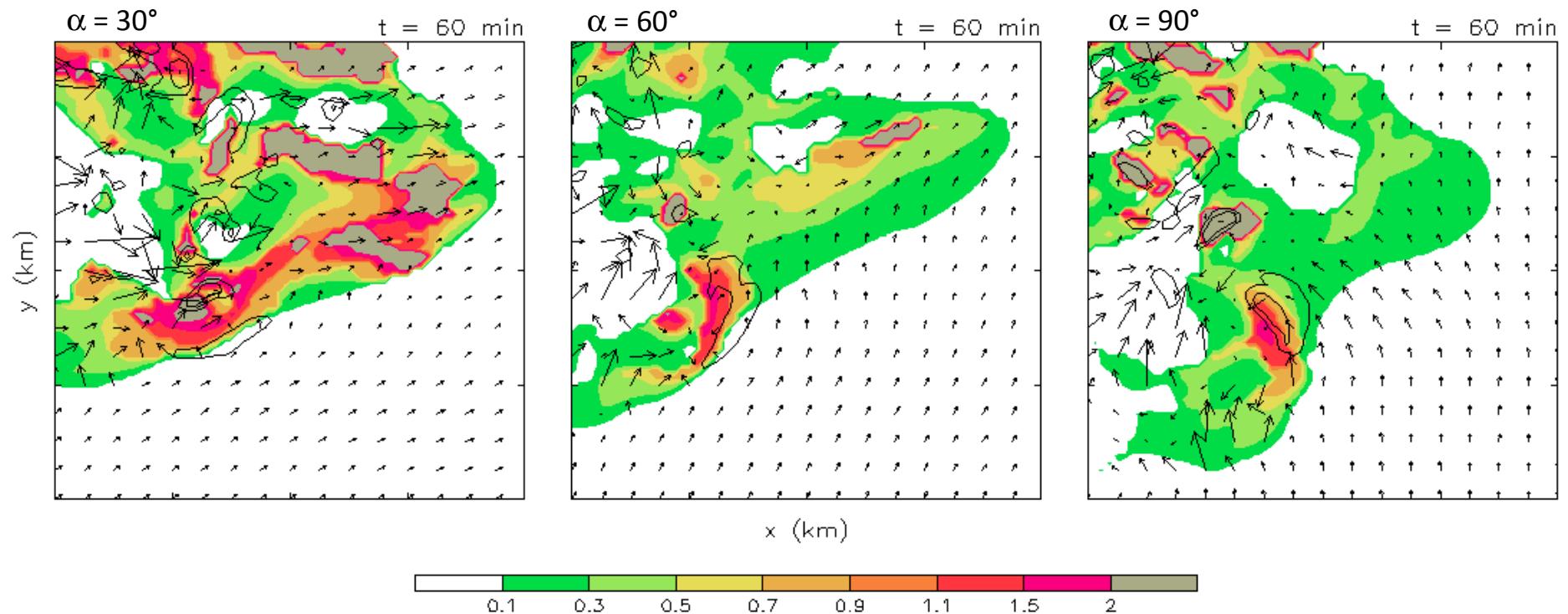
--> Contours: (positive) vertical vorticity (every  $0.005 \text{ s}^{-1}$ ) at 1 km AGL



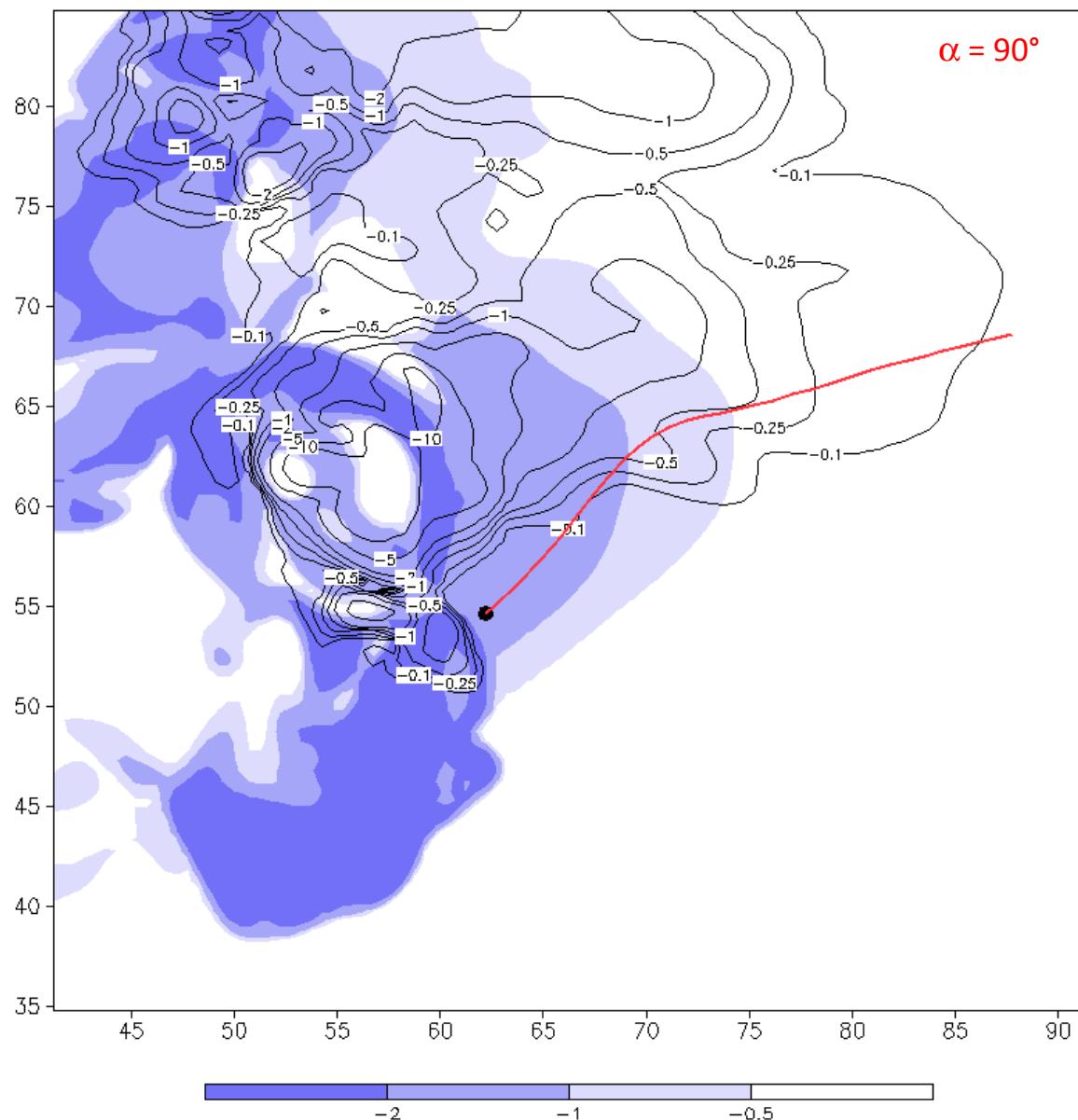
--> Shading: cold-pool depth ( $h$ ) (km)

--> Vectors: 0-1km shear vectors

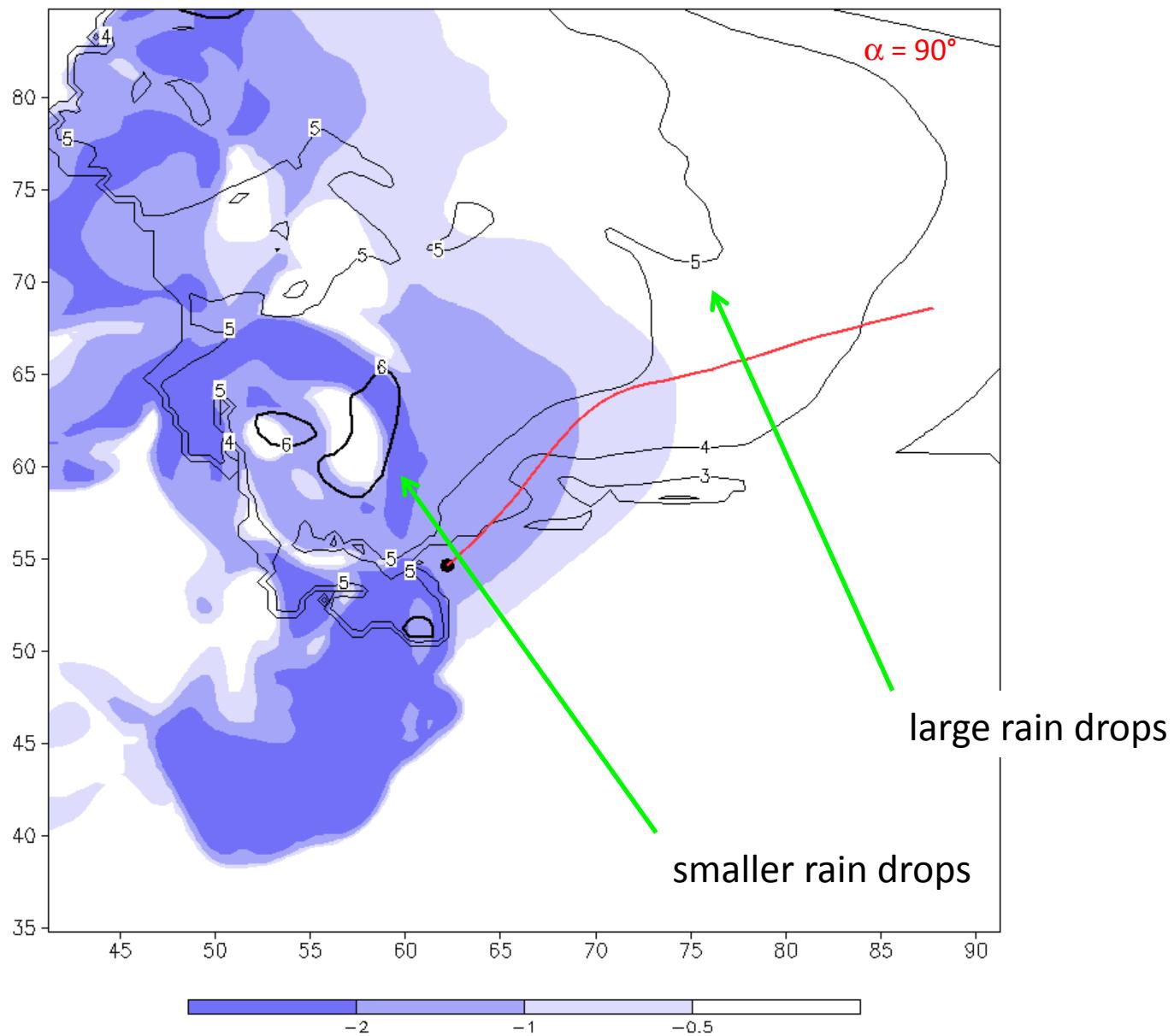
Contours: (positive) vertical vorticity (every  $0.005 \text{ s}^{-1}$ ) at 1 km AGL



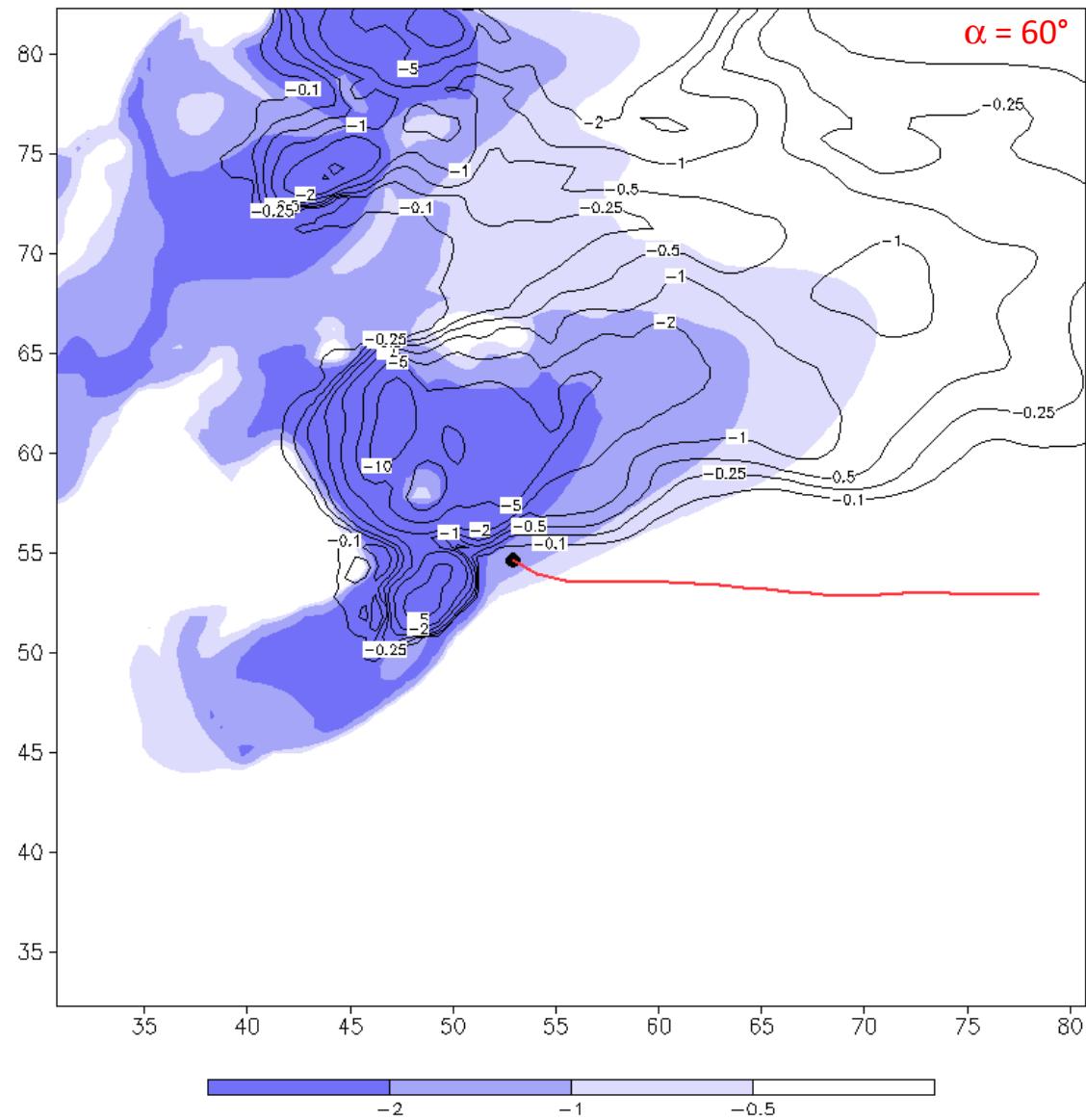
Contours: evaporation rate ( $\text{g kg}^{-1} \text{ h}^{-1}$ )



Contours:  $\log_{10}(N_{0r})$  (intercept parameter in microphysics scheme)



Contours: evaporation rate ( $\text{g kg}^{-1} \text{ h}^{-1}$ )



# Summary

- Magnitude of low-level shear vector and angle of low-level shear vector (relative to mid-level shear vector) affects low-level rotation in simulated supercells
  - roughly 90° angle produces strongest low-level circulation
- Reason (preliminary):
  - Low-level storm-relative flow is weaker
    - > longer residence time in forward-flank region
    - > greater net baroclinic generation of vorticity
- Other possible effects:
  - Shear/updraft and shear/downdraft interaction
  - Cold-pool/shear interaction